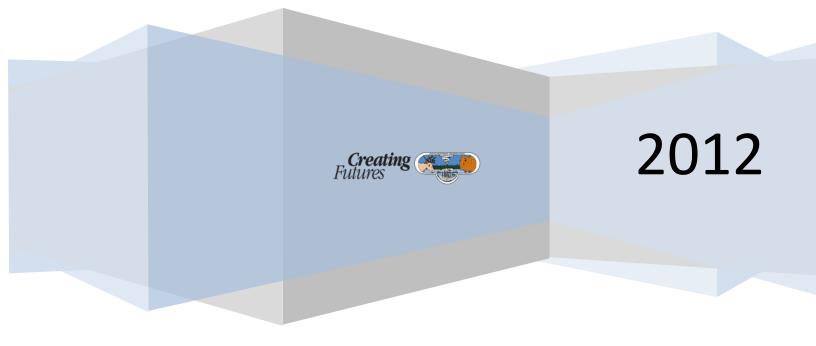
**South Slave Divisional Education Council** 

# Math 10-3 Curriculum Package February 2012



### Strand: Measurement

**General Outcome:** Develop spatial sense through direct and indirect measurement.

Specific Outcomes	Achievement Indicators – Measurable outcomes
It is expected that students will:	The following set of indicators may be used to assess student achievement for each related specific learning outcome. Students who have fully met the specific learning outcomes are able to:
<ul> <li>Demonstrate an understanding of the Système International (SI) by:</li> <li>describing the relationships of the units for length, area, volume, capacity, mass and temperature</li> <li>applying strategies to convert SI units to imperial units.[C, CN, ME, V]</li> </ul>	<ul> <li>Explain how the SI system was developed, and explain its relationship to base ten.</li> <li>Identify the base units of measurement in the SI system, and determine the relationship among the related units of each type of measurement.</li> <li>Identify contexts that involve the SI system.</li> <li>Match the prefixes used for SI units of measurement with the powers of ten.</li> <li>Explain, using examples, how and why decimals are used in the SI system.</li> <li>Provide an approximate measurement in SI units for a measurement given in imperial units; e.g., 1 inch is approximately 2.5 cm.</li> <li>Write a given linear measurement from SI to imperial units by using proportional reasoning (including formulas); e.g., Celsius to Fahrenheit, centimetres to inches.</li> </ul>
<ul> <li>Demonstrate an understanding of the imperial system by:</li> <li>describing the relationships of the units for length, area, volume, capacity, mass and temperature</li> <li>comparing the American and British imperial units for capacity</li> <li>applying strategies to convert imperial units to SI units. [C, CN, ME, V]</li> </ul>	<ul> <li>Explain how the imperial system was developed.</li> <li>Identify commonly used units in the imperial system, and determine the relationships among the related units.</li> <li>Identify contexts that involve the imperial system.</li> <li>Explain, using examples, how and why fractions are used in the imperial system.</li> <li>Compare the American and British imperial measurement systems; e.g., gallons, bushels, tons.</li> <li>Provide an approximate measure in imperial units for a measurement given in SI</li> </ul>
	<ul> <li>units; e.g., 1 litre is approximately 4 US gallon.</li> <li>Write a given linear measurement expressed in one imperial unit in another imperial unit.</li> <li>Convert a given measure from imperial to SI units by using proportional reasoning (including formulas); e.g., Fahrenheit to Celsius, inches to centimetres.</li> </ul>
Solve and verify problems that involve SI and imperial linear measurements, including decimal and fractional measurements. [CN, ME, PS, V]	<ul> <li>Identify a referent for a given common SI or imperial unit of linear measurement.</li> <li>Estimate a linear measurement, using a referent.</li> <li>Measure inside diameters, outside diameters, lengths, widths of various given objects, and distances, using various measuring instruments.</li> <li>Estimate the dimensions of a given regular 3-D object or 2-D shape, using a referent; e.g., the height of the desk is about three rulers long, so the desk is approximately three feet high.</li> <li>Solve a linear measurement problem including perimeter, circumference, and</li> </ul>
	<ul> <li>length + width + height (used in shipping and air travel).</li> <li>Determine the operation that should be used to solve a linear measurement problem.</li> <li>Provide an example of a situation in which a fractional linear measurement would be divided by a fraction.</li> <li>Determine, using a variety of strategies, the midpoint of a linear measurement such as length, width, height, depth, diagonal and diameter of a 3-D object, and explain the strategies.</li> <li>Determine if a solution to a problem that involves linear measurement is reasonable.</li> </ul>

#### Strand: Measurement

**General Outcome:** Develop spatial sense through direct and indirect measurement.

Specific Outcomes	Achievement Indicators – Measurable outcomes
It is expected that students will:	The following set of indicators may be used to assess student achievement for each related specific learning outcome. Students who have fully met the specific learning outcomes are able to:
Solve problems that involve SI and imperial area measurements of regular, composite and irregular 2-D shapes and 3-D objects, including decimal and fractional measurements, and verify the solutions. [ME, PS, R, V]	<ul> <li>Identify and compare referents for area measurements in SI and imperial units.</li> <li>Estimate an area measurement, using a referent.</li> <li>Identify a situation where a given SI or imperial area unit would be used.</li> <li>Estimate the area of a given regular, composite or irregular 2-D shape, using an SI square grid and an imperial square grid.</li> <li>Solve a contextual problem that involves the area of a regular, a composite or an irregular 2-D shape.</li> <li>Write a given area measurement expressed in one SI unit squared in another SI unit squared.</li> <li>Write a given area measurement expressed in one imperial unit squared in another sI unit squared.</li> <li>Solve a problem, using formulas for determining the areas of regular, composite and irregular 2-D shapes, including circles.</li> <li>Solve a problem that involves determining the surface area of 3-D objects, including right cylinders and cones.</li> <li>Explain, using examples, the effect of changing the measurement of one or more dimensions on area and perimeter of rectangles.</li> <li>Determine if a solution to a problem that involves an area measurement is reasonable.</li> </ul>
<b>Strand:</b> Geometry General Outcome: Develop spatial sense.	
Analyze puzzles and games that involve spatial reasoning, using problem-solving strategies.[C, CN, PS, R]	<ul> <li>Determine, explain and verify a strategy to solve a puzzle or to win a game; e.g., guess and check <ul> <li>Look for a pattern</li> <li>Make a systematic list</li> <li>Draw or model</li> <li>Eliminate possibilities</li> <li>Simplify the original problem</li> <li>Work backward</li> <li>Develop alternative approaches.</li> </ul> </li> <li>Identify and correct errors in a solution to a puzzle or in a strategy for winning a game.</li> <li>Create a variation on a puzzle or a game, and describe a strategy for solving the puzzle or winning the game.</li> </ul>
<ul> <li>Demonstrate an understanding of the Pythagorean theorem by:</li> <li>identifying situations that involve right triangles</li> <li>verifying the formula</li> <li>applying the formula</li> <li>solving problems.[C, CN, PS, V]</li> </ul>	<ul> <li>Explain, using illustrations, why the Pythagorean theorem only applies to right triangles.</li> <li>Verify the Pythagorean theorem, using examples and counterexamples, including drawings, concrete materials and technology.</li> <li>Describe historical and contemporary applications of the Pythagorean theorem.</li> <li>Determine if a given triangle is a right triangle, using the Pythagorean theorem.</li> <li>Explain why a triangle with the side length ratio of 3:4:5 is a right triangle.</li> <li>Explain how the ratio of 3:4:5 can be used to determine if a corner of a given 3-D object is square (90<sup>o</sup>) or if a given parallelogram is a rectangle.</li> </ul>

## Strand: Geometry

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General	outcome:	Develop	spatial	sense.

General Outcome: Develop spatial sen Specific Outcomes	Achievement Indicators – Measurable outcomes
It is expected that students will:	The following set of indicators may be used to assess student achievement for each
it is expected that students will.	related specific learning outcome. Students who have fully met the specific learning
	outcomes are able to:
Demonstrate an understanding of similarity	
<b>.</b> .	Determine, using angle measurements, if two or more regular or irregular
of convex polygons, including regular and	polygons are similar.
irregular polygons. [C, CN, PS, V]	• Determine, using ratios of side lengths, if two or more regular or irregular polygons are similar.
	• Explain why two given polygons are not similar.
	• Explain the relationships between the corresponding sides of two polygons that
	have corresponding angles of equal measure.
	<ul> <li>Draw a polygon that is similar to a given polygon.</li> </ul>
	• Explain why two or more right triangles with a shared acute angle are similar.
	• Solve a contextual problem that involves similarity of polygons.
Demonstrate an understanding of primary trigonometric ratios (sine, cosine, tangent) by:	• Show, for a specified acute angle in a set of similar right triangles, that the ratios of the length of the side opposite to the length of the side adjacent are equal, and generalize a formula for the tangent ratio.
<ul> <li>applying similarity to right triangles</li> </ul>	• Show, for a specified acute angle in a set of similar right triangles, that the ratios of
<ul> <li>generalizing patterns from similar right triangles</li> </ul>	the length of the side opposite to the length of the hypotenuse are equal, and generalize a formula for the sine ratio.
applying the primary trigonometric ratios	• Show, for a specified acute angle in a set of similar right triangles, that the ratios of
<ul> <li>solving problems.[CN, PS, R, T, V] [ICT: C6–</li> </ul>	the length of the side adjacent to the length of the hypotenuse are equal, and
4.1]	generalize a formula for the cosine ratio.
4.1]	<ul> <li>Identify situations where the trigonometric ratios are used for indirect</li> </ul>
	measurement of angles and lengths.
	<ul> <li>Solve a contextual problem that involves right triangles, using the primary</li> </ul>
	trigonometric ratios.
	<ul> <li>Determine if a solution to a problem that involves primary trigonometric ratios is</li> </ul>
	reasonable.
Solve problems that involve parallel,	<ul> <li>Sort a set of lines as perpendicular, parallel or neither, and justify this sorting.</li> </ul>
perpendicular and transversal lines, and	<ul> <li>Illustrate and describe complementary and supplementary angles.</li> </ul>
pairs of angles formed between them.	<ul> <li>Identify, in a set of angles, adjacent angles that are not complementary or</li> </ul>
[C, CN, PS, V]	supplementary.
	<ul> <li>Identify and name pairs of angles formed by parallel lines and a transversal,</li> </ul>
	including corresponding angles, vertically opposite angles, alternate interior
	angles, alternate exterior angles, interior angles on same side of transversal and
	exterior angles on same side of transversal.
	-
	• Explain and illustrate the relationships of angles formed by parallel lines and a
	transversal.
	• Explain, using examples, why the angle relationships do not apply when the lines
	are not parallel.
	• Determine if lines or planes are perpendicular or parallel, e.g., wall perpendicular
	to floor, and describe the strategy used.
	• Determine the measures of angles involving parallel lines and a transversal, using
	angle relationships.
	• Solve a contextual problem that involves angles formed by parallel lines and a
	transversal (including perpendicular transversals).

## Strand: Geometry

General	<b>Outcome:</b>	Develo	n snatia	l sense.
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General Outcome: Develop spatial sens	
Specific Outcomes	Achievement Indicators – Measurable outcomes
It is expected that students will:	The following set of indicators may be used to assess student achievement for each related specific learning outcome. Students who have fully met the specific learning outcomes are able to:
Demonstrate an understanding of angles, including acute, right, obtuse, straight and reflex, by: • drawing	<ul> <li>Draw and describe angles with various measures, including acute, right, straight, obtuse and reflex angles.</li> <li>Identify referents for angles.</li> <li>Sketch a given angle.</li> </ul>
<ul><li>replicating and constructing</li><li>bisecting</li></ul>	• Estimate the measure of a given angle, using 22.5°, 30°, 45°, 60°, 90° and 180° as referent angles.
• solving problems. [C, ME, PS, T, V] [ICT: C6– 4.1]	<ul> <li>Measure, using a protractor, angles in various orientations.</li> <li>Explain and illustrate how angles can be replicated in a variety of ways; e.g., Mira, protractor, compass and straightedge, carpenter's square, dynamic geometry software.</li> </ul>
	• Replicate angles in a variety of ways, with and without technology.
	Bisect an angle, using a variety of methods.
	Solve a contextual problem that involves angles.
<b>Strand:</b> Number <b>General Outcome:</b> Develop number ser	ase and critical thinking skills
Solve problems that involve unit pricing and	Compare the unit price of two or more given items.
currency exchange, using proportional reasoning. [CN, ME, PS, R] [ICT: F2–4.7]	<ul> <li>Solve problems that involve determining the best buy, and explain the choice in terms of the cost as well as other factors, such as quality and quantity.</li> </ul>
	• Compare, using examples, different sales promotion techniques; e.g., deli meat at \$2 per 100 g seems less expensive than \$20 per kilogram.
	<ul> <li>Determine the percent increase or decrease for a given original and new price.</li> <li>Solve, using proportional reasoning, a contextual problem that involves currency exchange.</li> </ul>
	• Explain the difference between the selling rate and purchasing rate for currency exchange.
	• Explain how to estimate the cost of items in Canadian currency while in a foreign country, and explain why this may be important.
	• Convert between Canadian currency and foreign currencies, using formulas, charts or tables.
Demonstrate an understanding of income, including: • wages • salary • contracts	<ul> <li>Describe, using examples, various methods of earning income.</li> <li>Identify and list jobs that commonly use different methods of earning income; e.g., hourly wage, wage and tips, salary, commission, contract, bonus, shift premiums.</li> <li>Determine in decimal form, from a time schedule, the total time worked in hours and minutes, including time and a half and/or double time.</li> </ul>
<ul> <li>commissions</li> <li>piecework</li> <li>to calculate gross pay and net pay.[C, CN, R,</li> </ul>	<ul> <li>Determine gross pay from given or calculated hours worked when given:         <ul> <li>the base hourly wage, with and</li> <li>without tips</li> </ul> </li> </ul>
T] [ICT: C6–4.1, C6–4.2, C7–4.2, F2–4.7]	<ul> <li>the base hourly wage, plus overtime (time and a half, double time).</li> <li>Determine gross pay for earnings acquired by:         <ul> <li>base wage, plus commission</li> <li>single commission rate.</li> </ul> </li> </ul>
	<ul> <li>Explain why gross pay and net pay are not the same.</li> <li>Determine the Canadian Pension Plan (CPP), Employment Insurance (EI) and income tax deductions for a given gross pay.</li> </ul>

#### Strand: Number

**General Outcome:** Develop number sense and critical thinking skills

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Specific Outcomes	Achievement Indicators – Measurable outcomes
It is expected that students will:	The following set of indicators may be used to assess student achievement for each
	related specific learning outcome. Students who have fully met the specific learning
	outcomes are able to:
Continued	• Determine net pay when given deductions; e.g., health plans, uniforms, union
	dues, charitable donations, payroll tax.
	• Investigate, with technology, "what if" questions related to changes in income;
	e.g., "What if there is a change in the rate of pay?"
	• Identify and correct errors in a solution to a problem that involves gross or net pay.
	• Describe the advantages and disadvantages for a given method of earning income;
	e.g., hourly wage, tips, piecework, salary, commission, contract work.
Strand: Algebra	
General Outcome: Develop algebraic rea	asoning.
Solve problems that require the	• Solve a contextual problem that involves the application of a formula that does not
manipulation and application of formulas	require manipulation.
related to:	• Solve a contextual problem that involves the application of a formula that requires
• perimeter	manipulation.
• area	• Explain and verify why different forms of the same formula are equivalent.
<ul> <li>the Pythagorean theorem</li> </ul>	• Describe, using examples, how a given formula is used in a trade or an occupation.
<ul> <li>primary trigonometric ratios</li> </ul>	• Create and solve a contextual problem that involves a formula.
• income. [C, CN, ME, PS, R]	• Identify and correct errors in a solution to a problem that involves a formula.